

# DERIVED ALGEBRAIC GEOMETRY AND BIRATIONAL GEOMETRY AND MODULI SPACES

Introductory Workshop, MSRI, Berkeley  
January 31 to February 8, 2019

- [1] D. AUROUX, L. KATZARKOV, T. PANTEV, Y. SOIBELMAN, and Y. TSCHINKEL (eds.), *Algebra, geometry, and physics in the 21st century: Kontsevich Festschrift*, Progress in Mathematics **324**, Birkhäuser, Cham, 2017, ISBN 978-3-319-59938-0; 978-3-319-59939-7. MR 3702033. Zbl 1378.14001. doi: 10.1007/978-3-319-59939-7.
- [2] M. BASTERRA, K. BAUER, K. HESS, and B. JOHNSON (eds.), *Women in topology: collaborations in homotopy theory* (Banff, AB, 2013), Contemporary Mathematics **641**, American Mathematical Society, Providence, RI, 2015, ISBN 978-1-4704-1013-1. MR 3380547. Zbl 1319.55001. doi: 10.1090/conm/641.
- [3] T. DE FERNEX, B. HASSETT, M. MUSTAȚĂ, M. OLSSON, M. POPA, and R. THOMAS (eds.), *Algebraic geometry* (Salt Lake City, UT, 2015), Proceedings of Symposia in Pure Mathematics **97.1**, American Mathematical Society, Providence, RI, 2018, ISBN 978-1-4704-3577-6. MR 3793654. Zbl 1392.14001. doi: 10.1090/pspum/097.1.
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